

# Phytoplankton Functional Type Analyses & Global Particle Size Distribution Estimation: Status

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With help from:

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Nelson, Nathalie Guillocheau, ...

# Phytoplankton Functional Type modeling from Plumes & Blooms

Dealing with the HPLC issue

1998-2003 CHORS - Anderson et al. [2007-JGR]

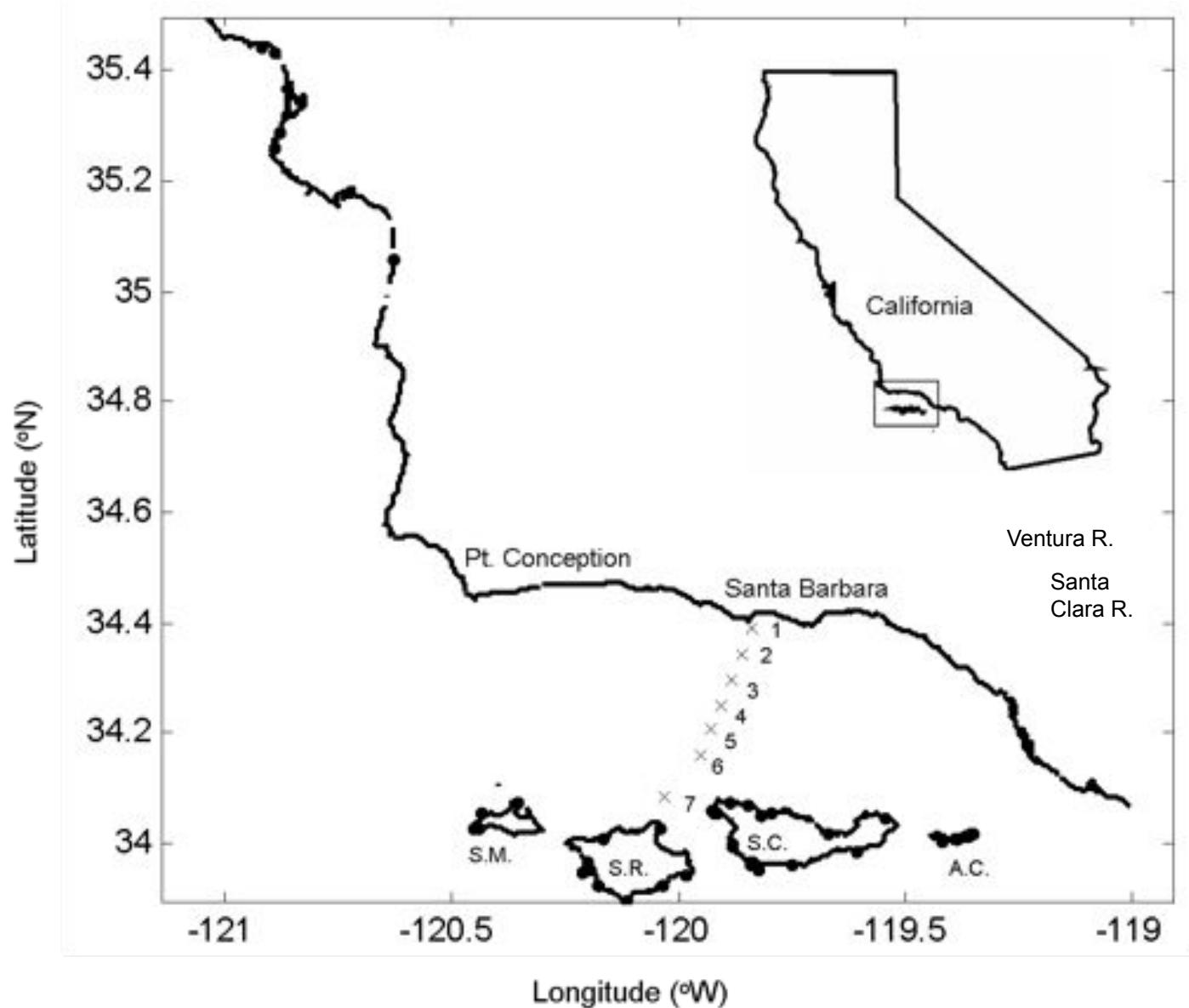
2006-present Horn Point

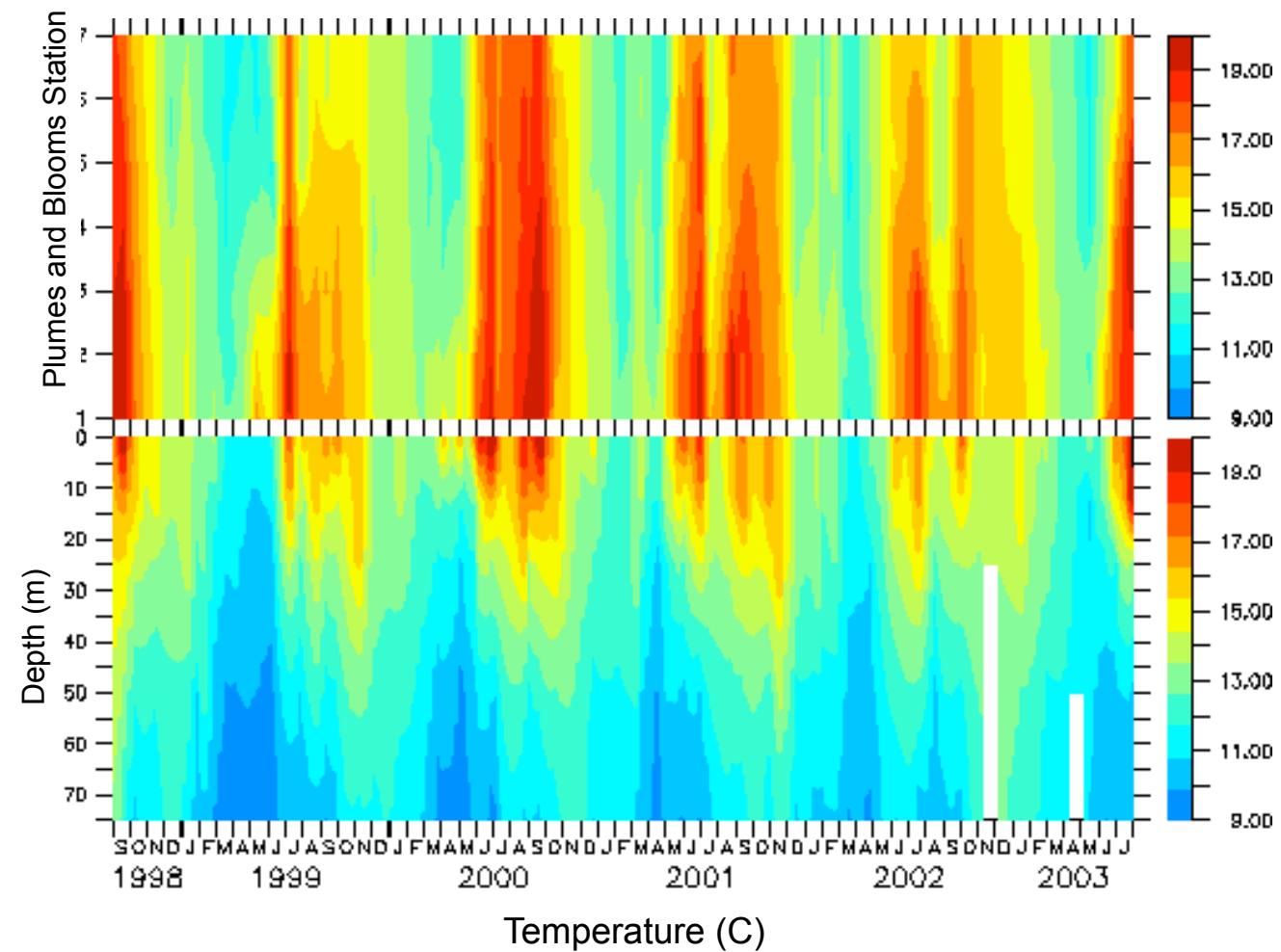
Preliminary results relating PFTs & IOPs

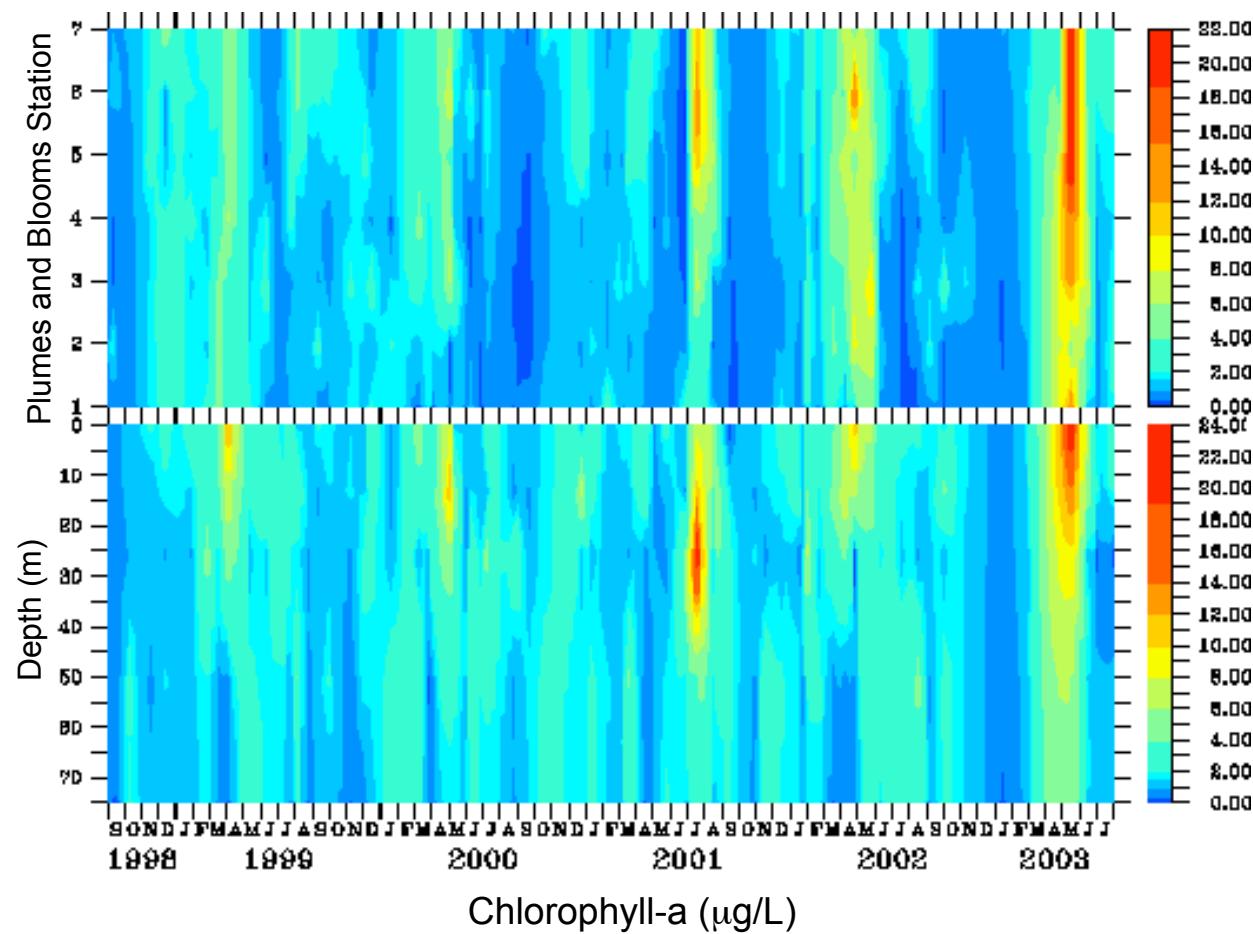
## Particle Size Distribution Estimation

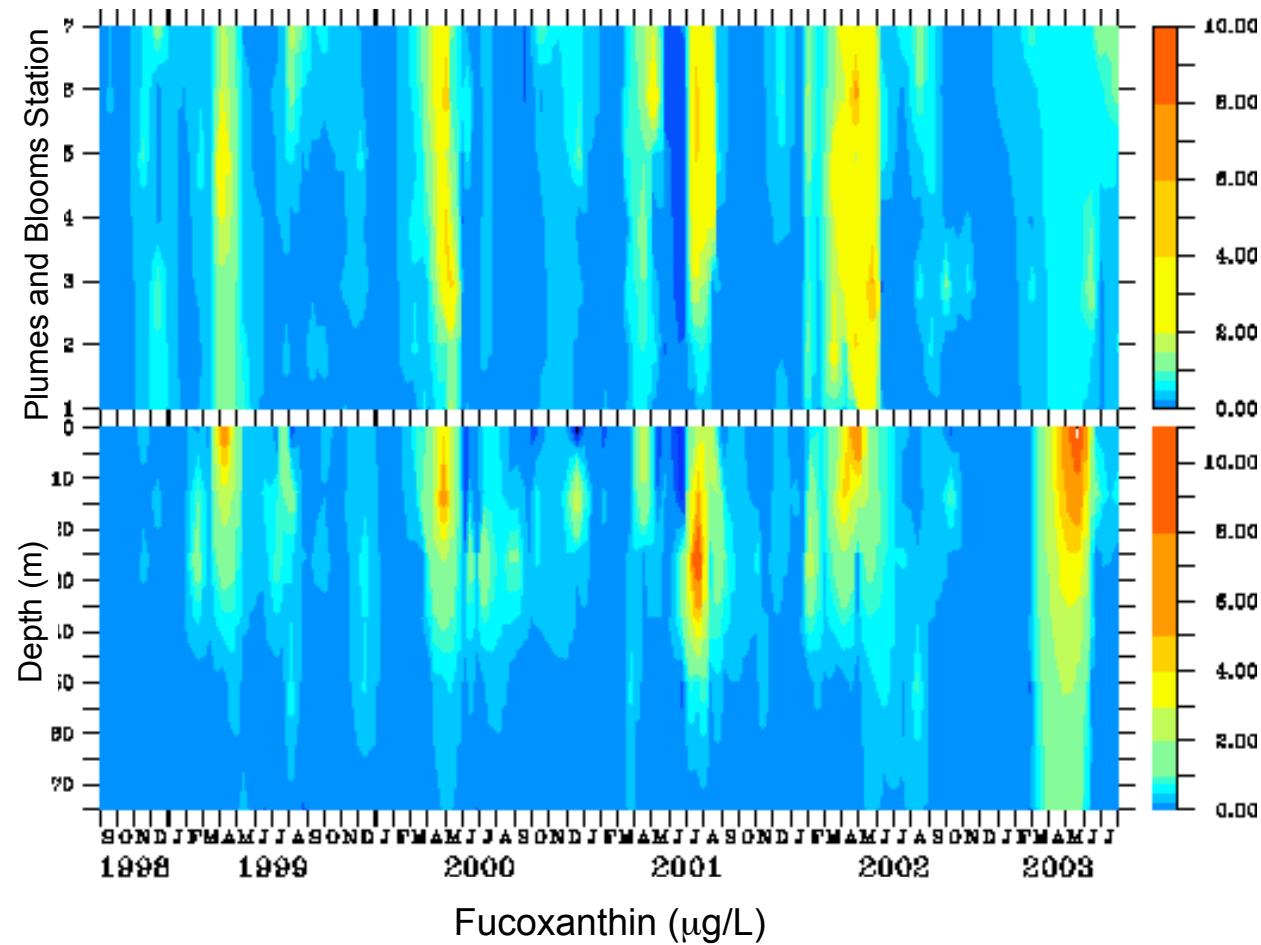
Results from Kostadinov et al. JGR [2009]

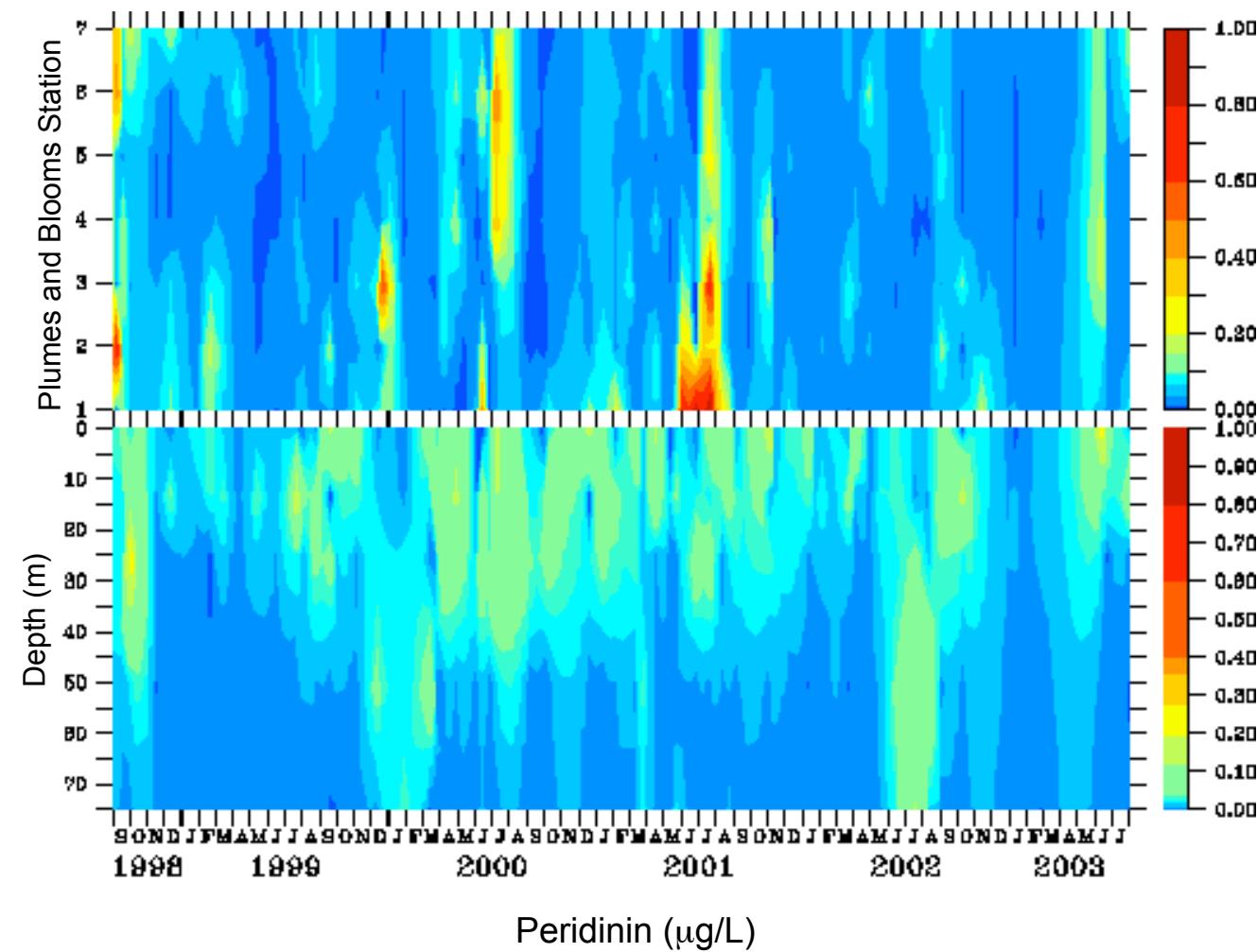
# Plumes and Blooms - Santa Barbara Channel







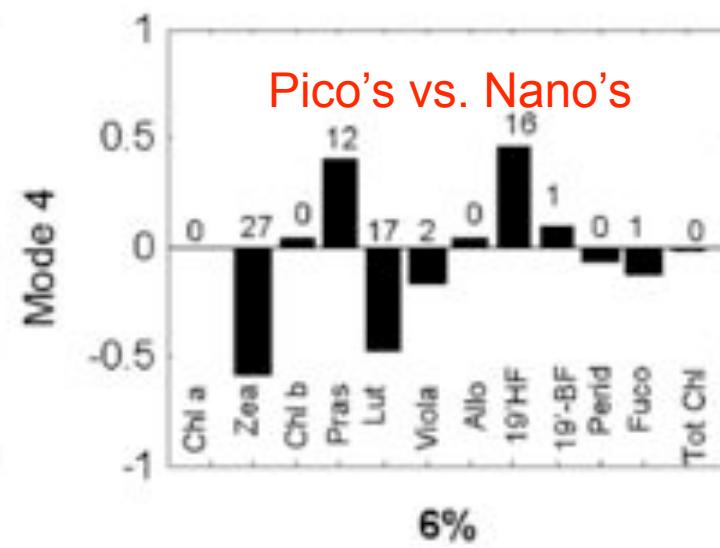
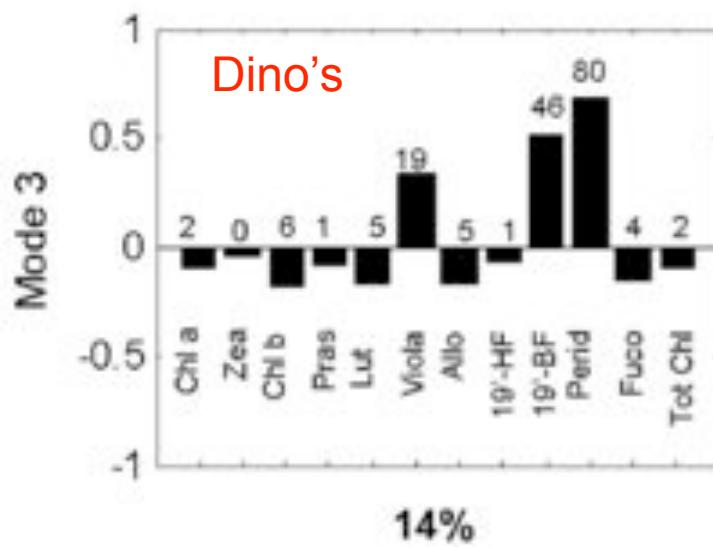
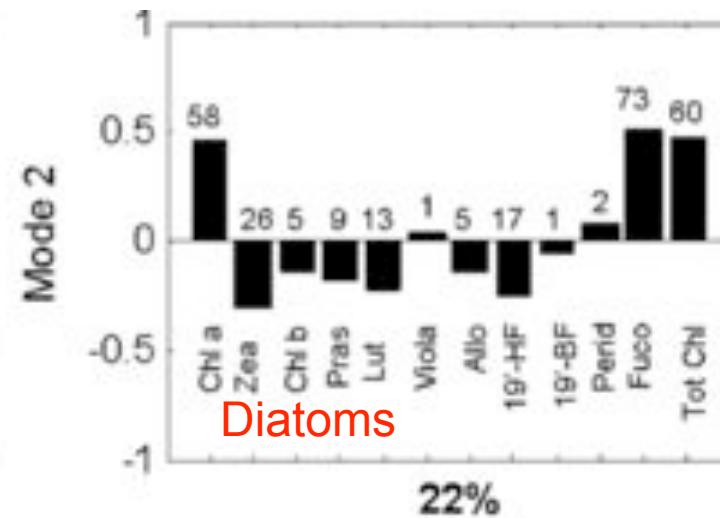
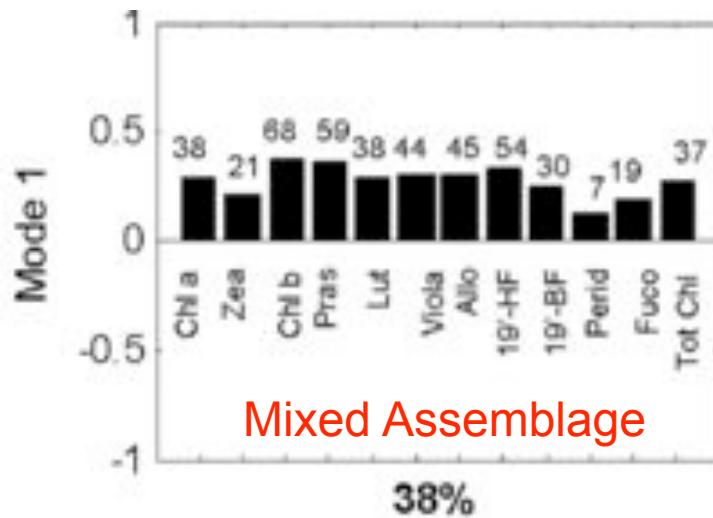




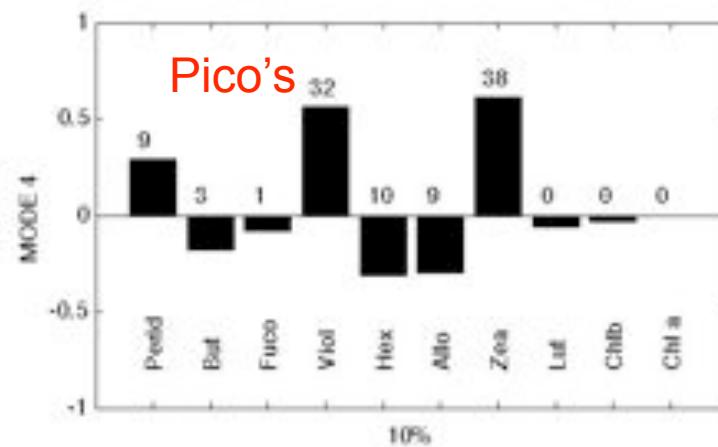
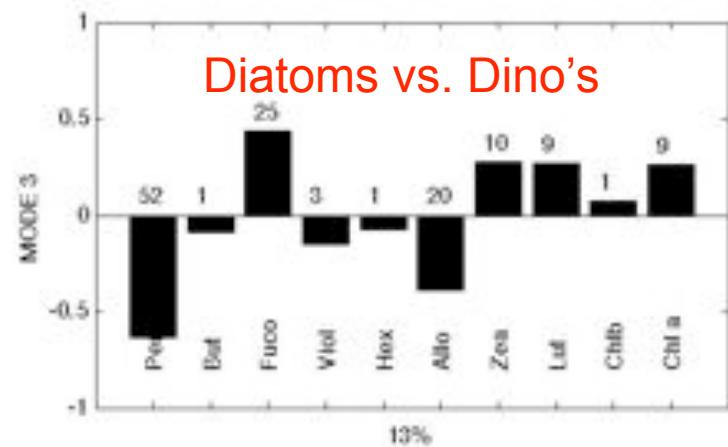
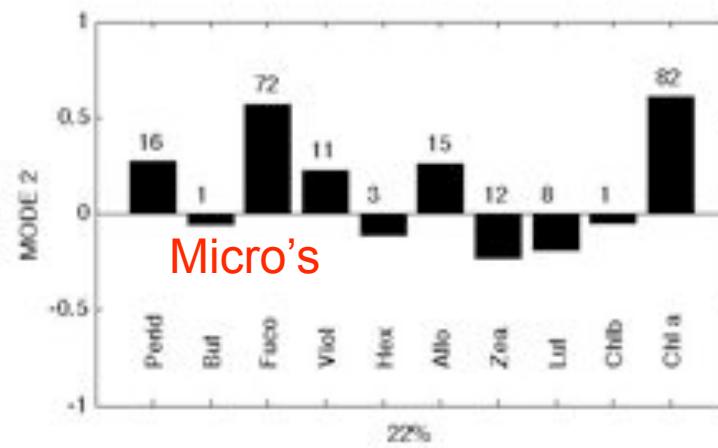
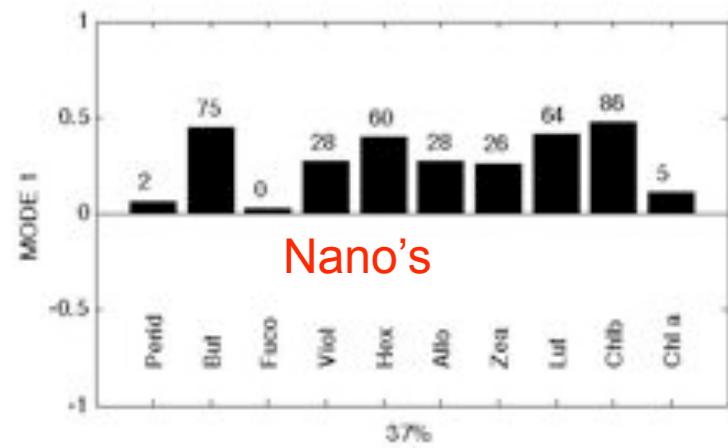
# Phytoplankton Pigments

Pigments	Abbreviation	Taxonomic Significance	Size class
Peridinin	Per	dinoflagellates	micro (>20 µm)
19'butanoyloxy-fucoxanthin	But	chromophytes nanoflagellates	nano (2 - 20 µm)
Fucoxanthin	Fuco	Diatoms	micro (>20 µm)
Violaxanthin	Viol	photo-protection	
19'hexanoyloxy-fucoxanthin	Hex	chromophytes nanoflagellates	nano (2 - 20 µm)
Alloxanthin	Allo	cryptophytes	nano (2 - 20 µm)
Zeaxanthin	Zea	cyanobacteria prochlorophytes	pico (>2 µm)
Lutien	Lut	photo-protection	
Chlorophyll b	Chl b	green flagellates prochlorophytes	nano (2 - 20 µm)
Chlorophyll a	Chl a		

# EOF Loadings & Correlations



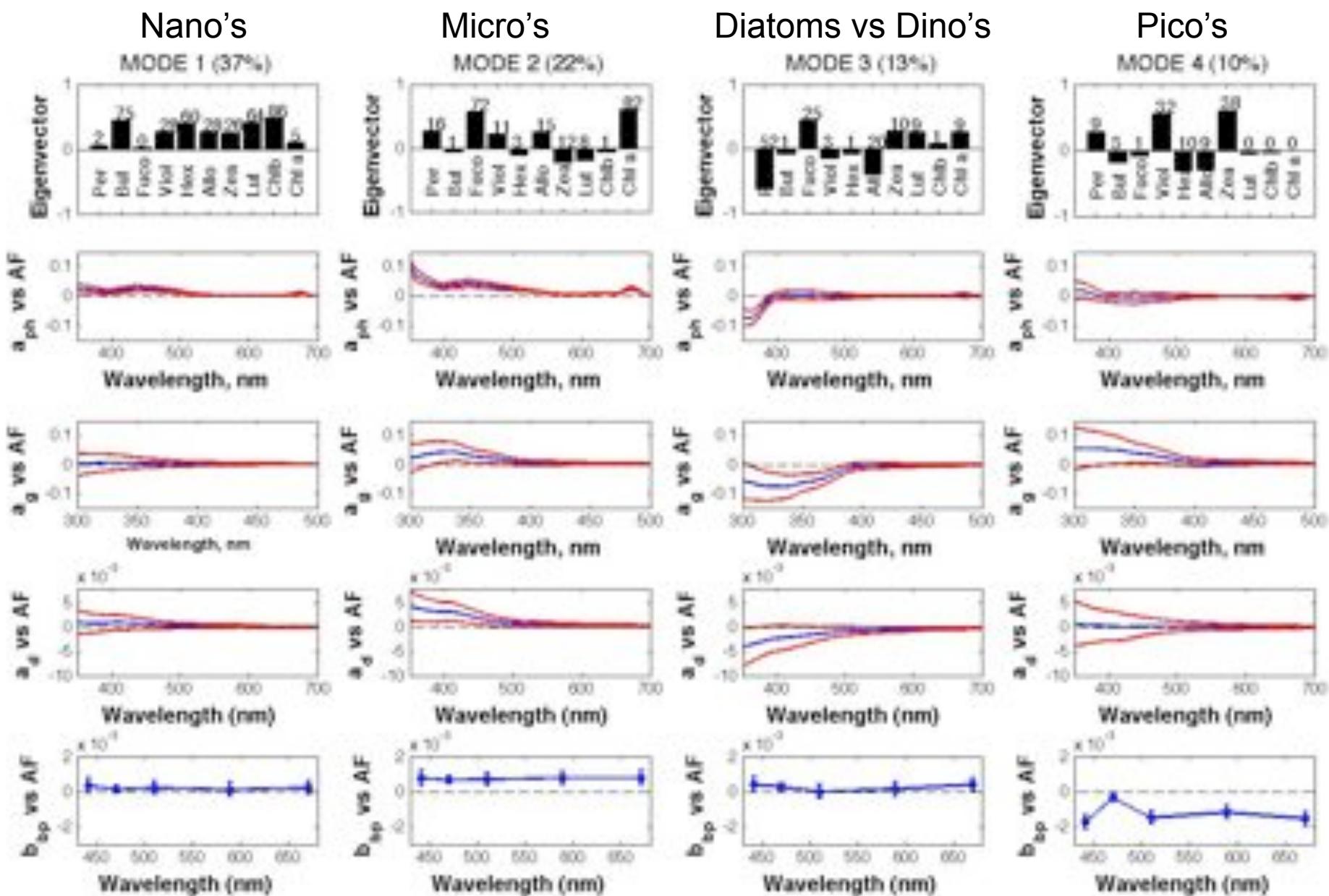
# EOF Modes for Diagnostic Pigments - 11/2005 – 8/2009



Rebecca Lawson Poster at Wed Evening

Horn Point HPLC

# Relationship between PFT EOF Amplitudes & IOP's

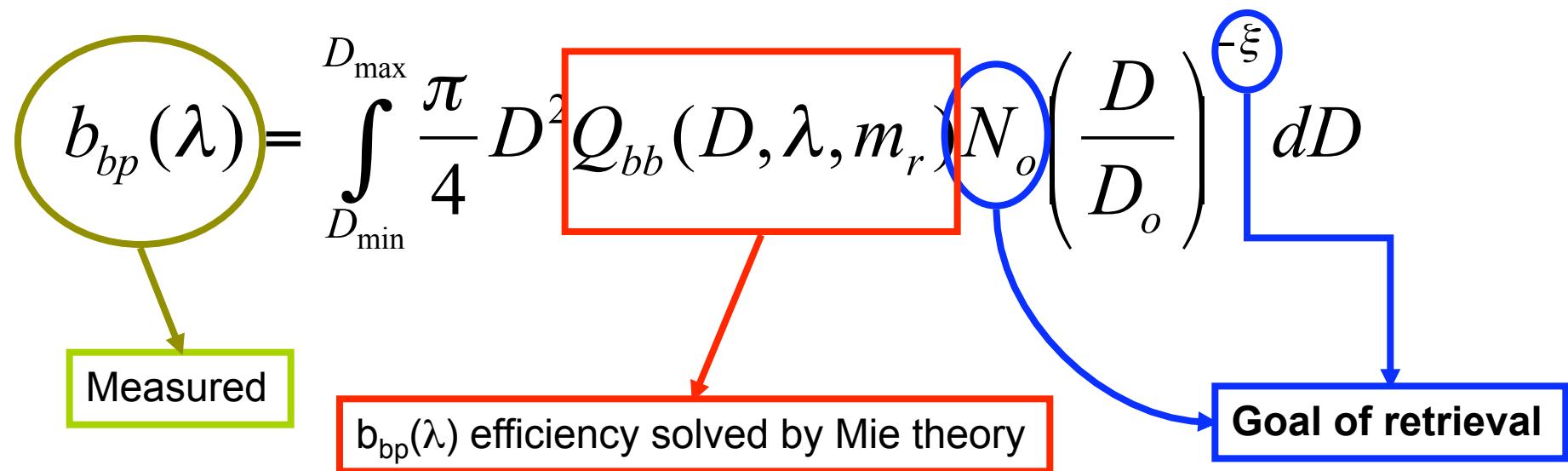


# PnB PFT Modeling Results

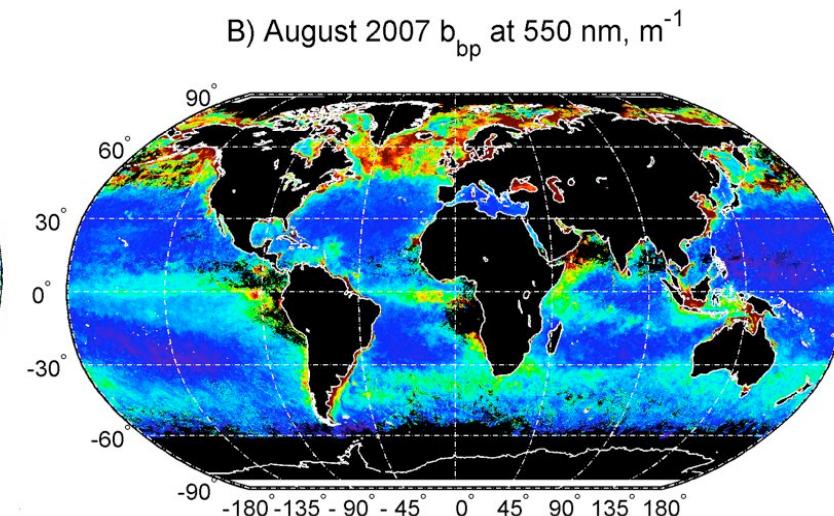
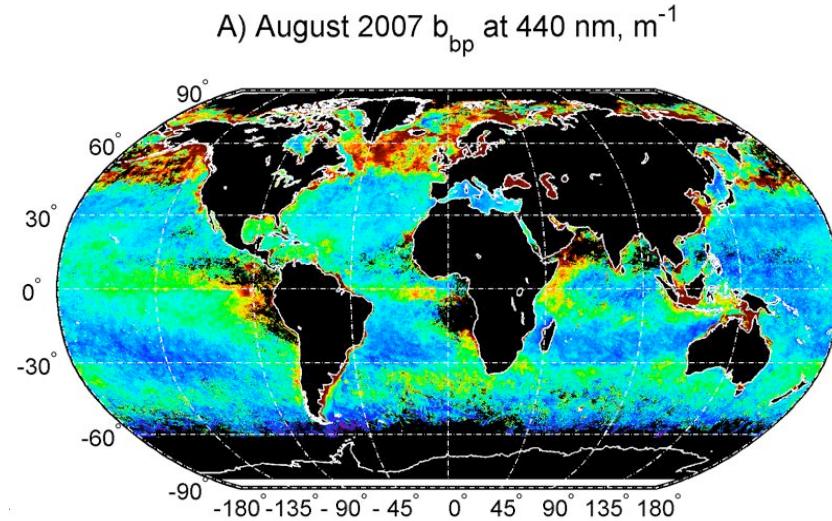
- EOF analyses provides straight-forward way of distinguishing Phytoplankton Functional Types
  - To O(1) robust to HPLC source (CHORS vs. Horn Point)
  - New HPLC shows more clarity in separation of modes
- Preliminary assessment of the relationship to ocean color relevant IOP's
  - Suggests a coupling between PFT's & all IOP's - not just for phytoplankton absorption
  - Interesting UV absorption signals with dino/diatom mode
  - Building blocks for future PFT algorithms

# Retrieving the PSD

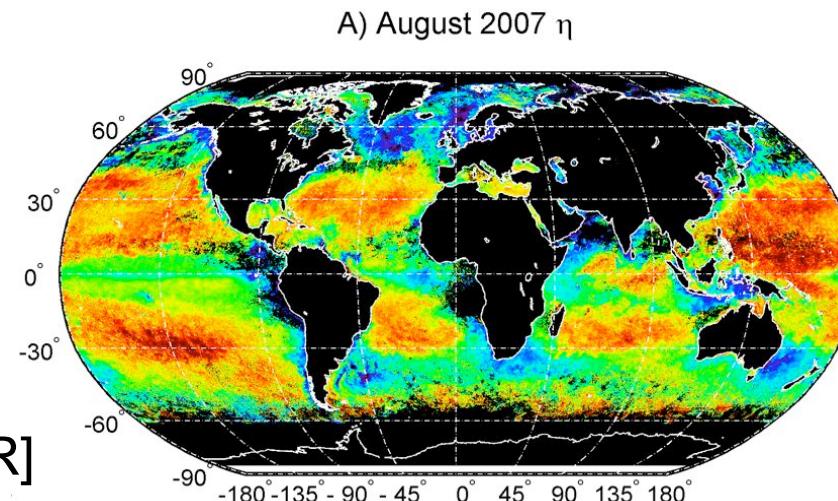
Constrain PSD using spectral backscatter & Mie



# Retrieving Backscatter Spectrum



- Loisel & Stramski [2000] model retrieves  $b_{bp}(\lambda)$
- Estimate spectral slope,  $\eta$ , from  $b_{bp}(\lambda) = b_{bp}(\lambda_o) (\lambda/\lambda_o)^{-\eta}$
- Follows Loisel et al. [2006 - JGR]



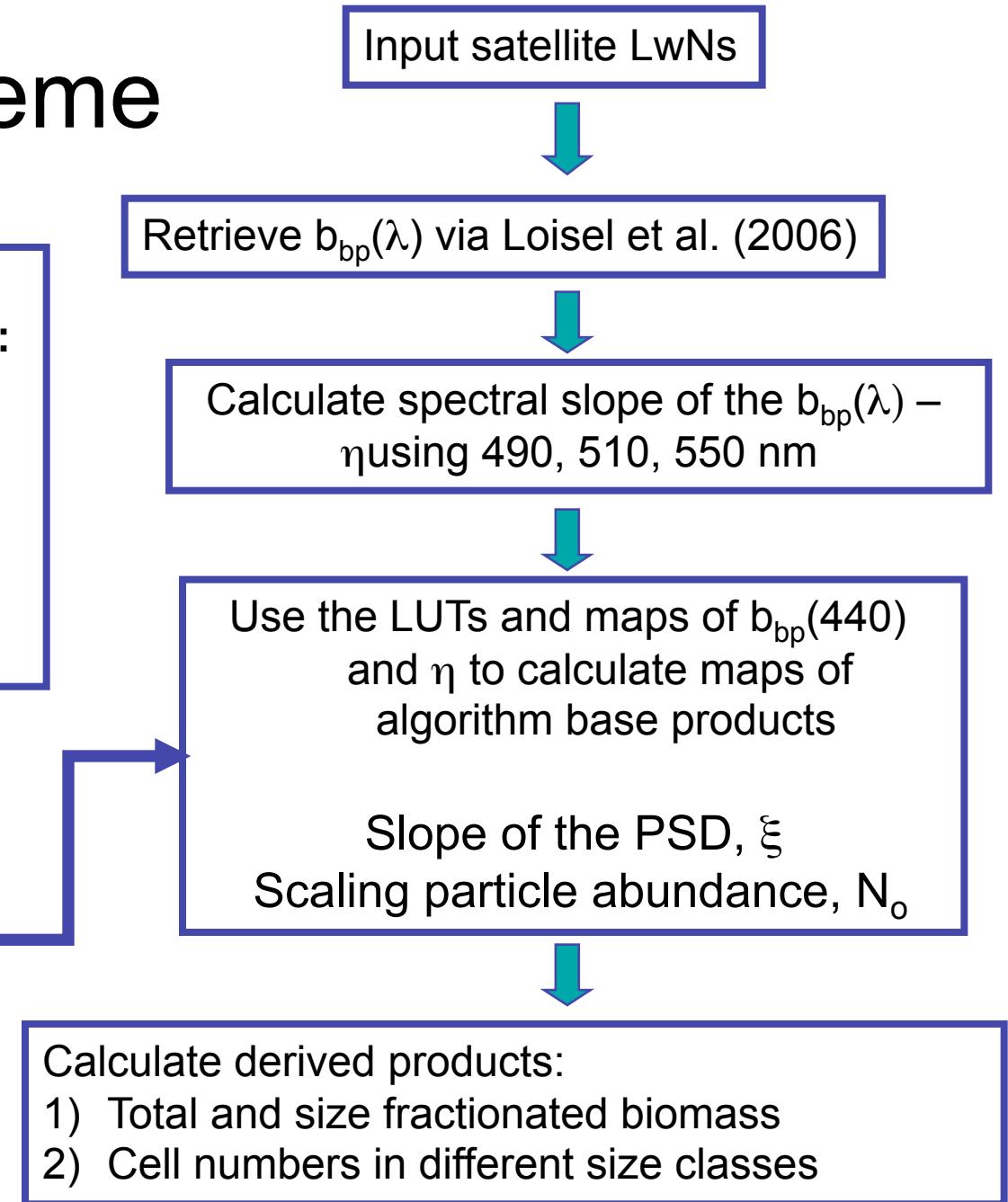
# Algorithm Scheme

**Input Mie model parameters  
realistic for the open ocean:**

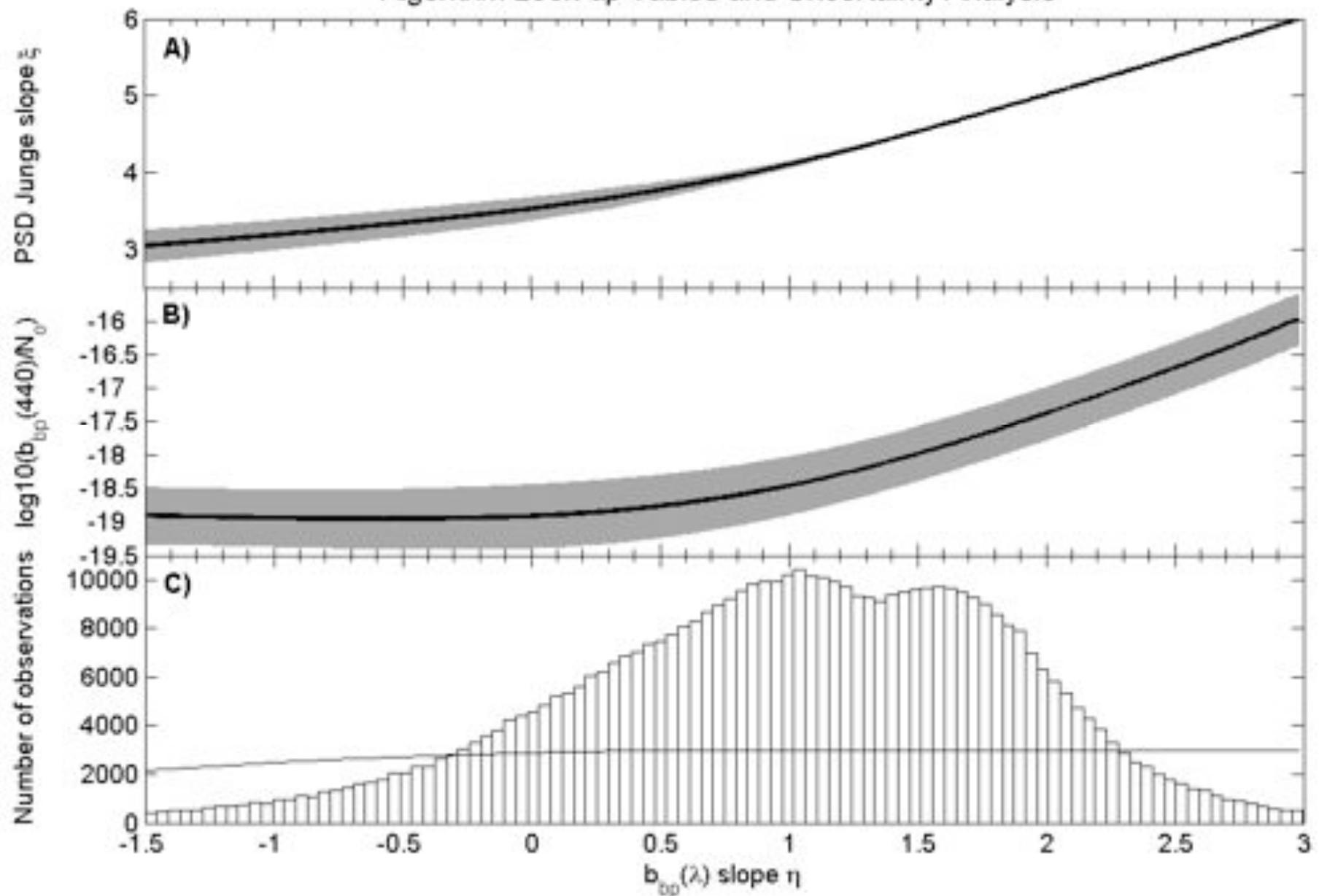
1.  $\xi$  - 2.5 to 6
2.  $n = \text{RANDN}(1.05, 0.05)$
3.  $k = \text{ABS}(\text{RANDN}(0, 0.00075))$
4.  $D_{\min} = 0.002 \mu\text{m}$
5.  $D_{\max} = \text{uniform deviate from } 25\text{-}100 \mu\text{m}$

**Create two LUTs:**

- $\xi = f(\eta)$
- $b_{\text{bp}}(440)/N_o = g(\eta)$

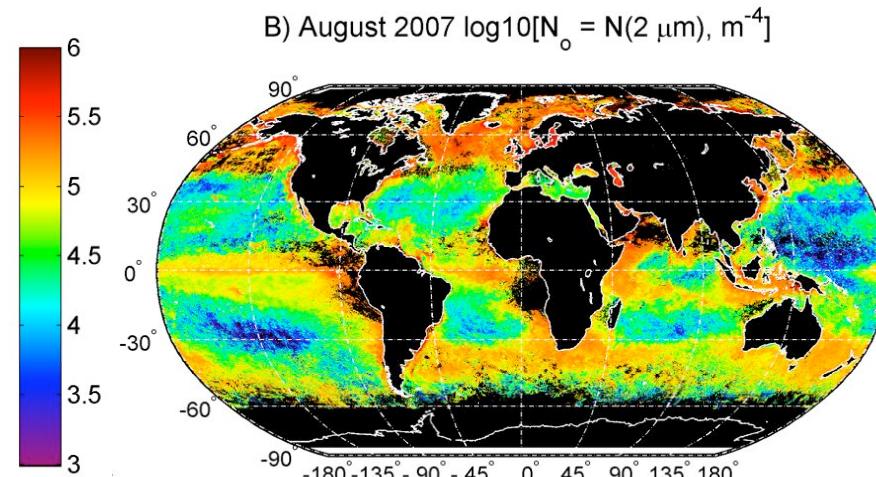
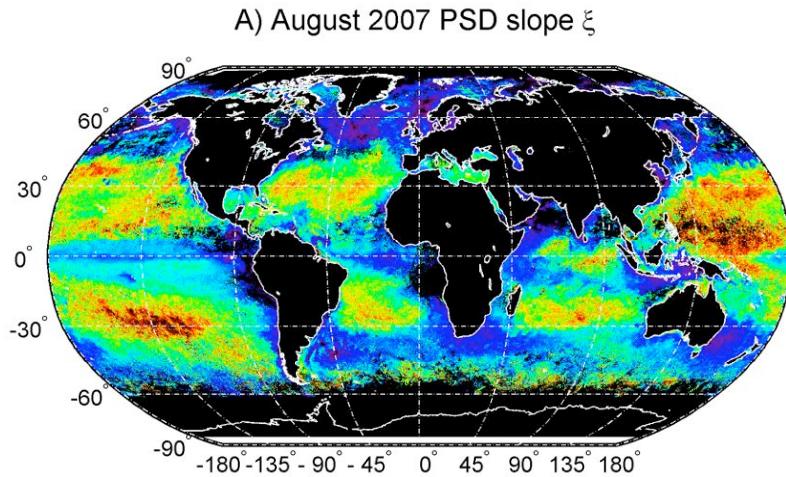


### Algorithm Look-up Tables and Uncertainty Analysis



Kostadinov et al. [2009 - JGR]

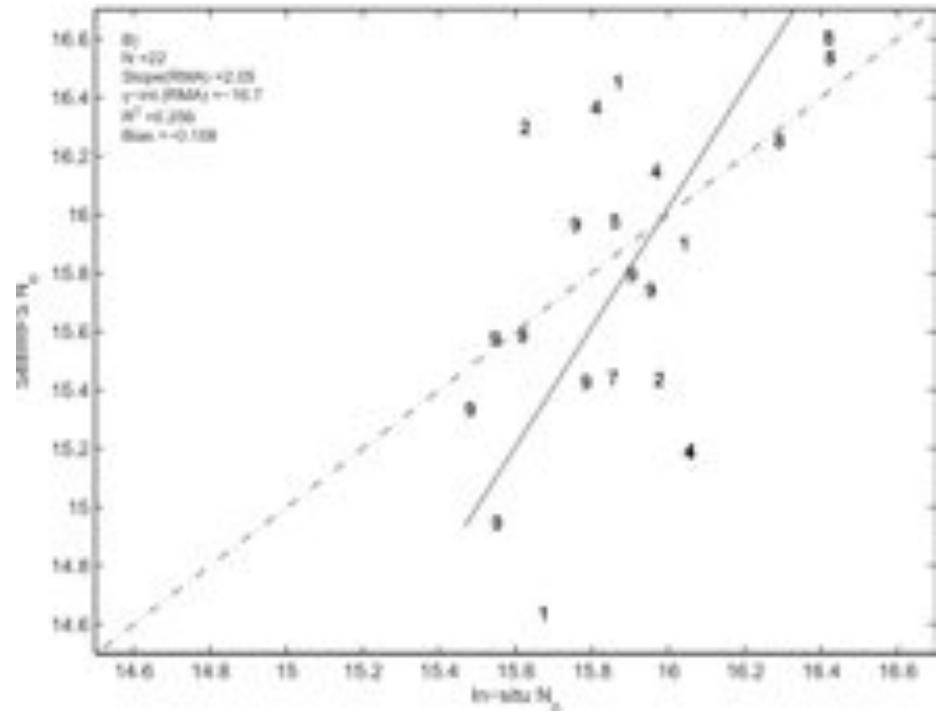
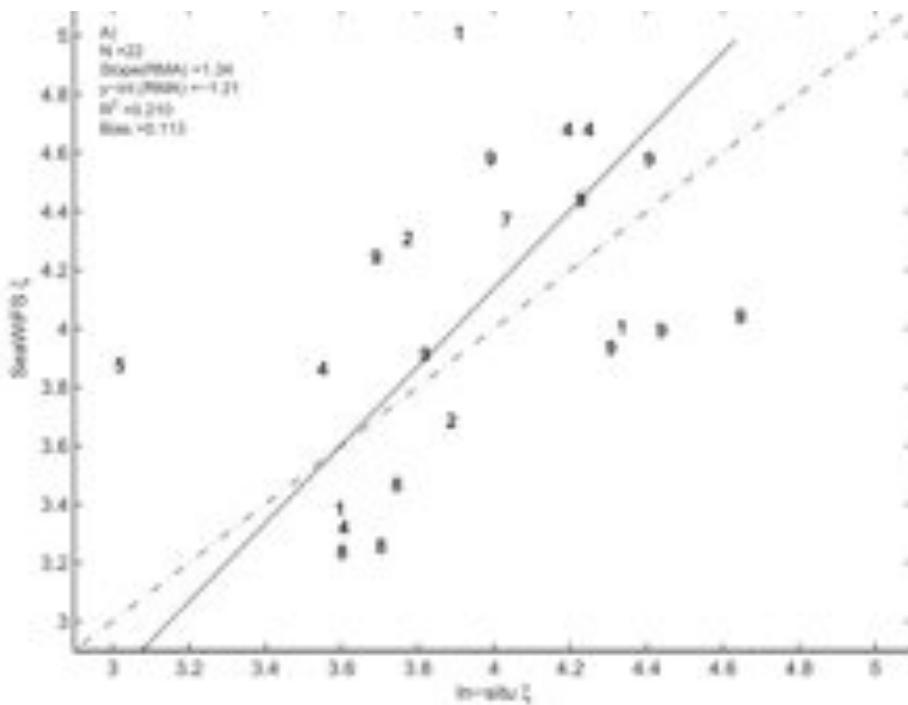
# Power Law PSD Parameters



$$N(D) = N_o (D/D_o)^{-\xi}$$

- High slopes ( $\xi$ ) in oligotrophic water - low in eutrophic oceans
- High scaling abudndances ( $N_o$ ) in productive waters - low in oligotrophic oceans

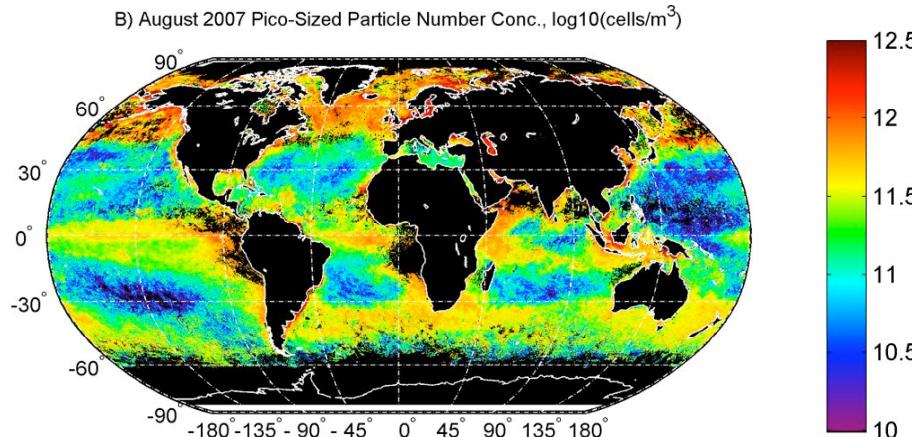
# Power Law PSD Parameters



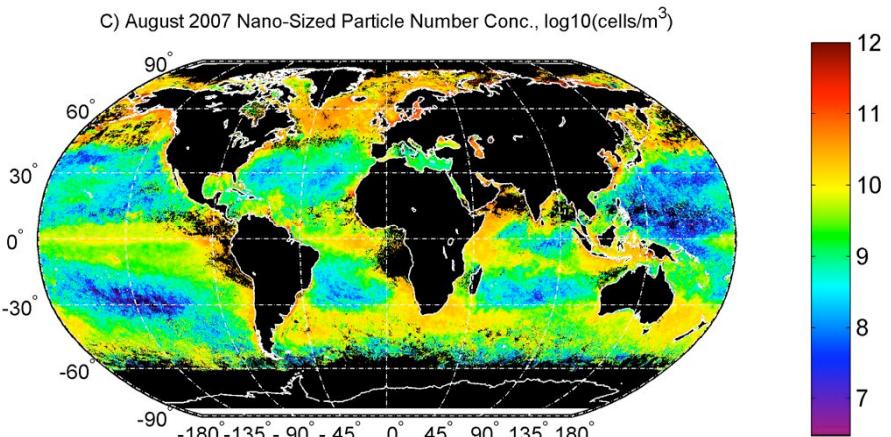
- Validation with available  $N(D)$  observations is OK
- Need more  $N(D)$  data (and protocols to make them)

# Partitioning Number Concentration

Pico-particles (0.5  $\mu\text{m}$  to 2  $\mu\text{m}$ )



Nano-particles (2  $\mu\text{m}$  to 20  $\mu\text{m}$ )

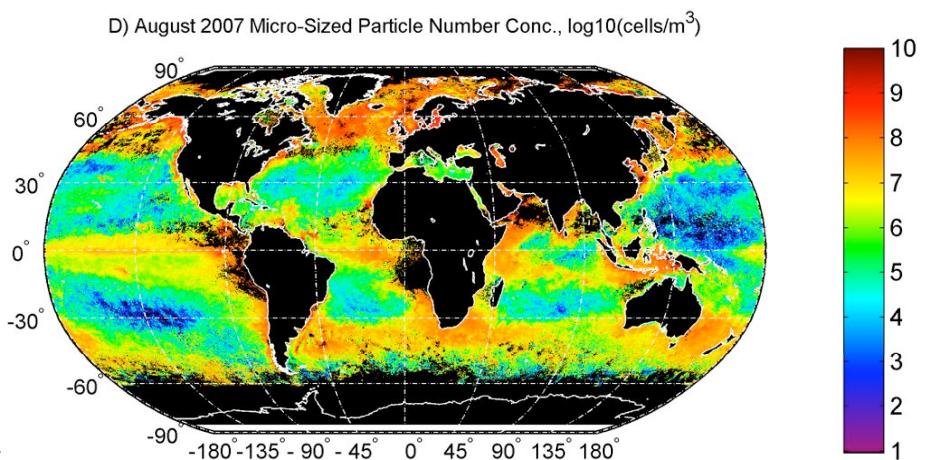


Pico's vary  $\sim 100$  times  
Nano's vary  $\sim 10,000$  times  
Micro's vary  $\sim 10^6$  times

$\log_{10}(\text{particles}/\text{m}^3)$

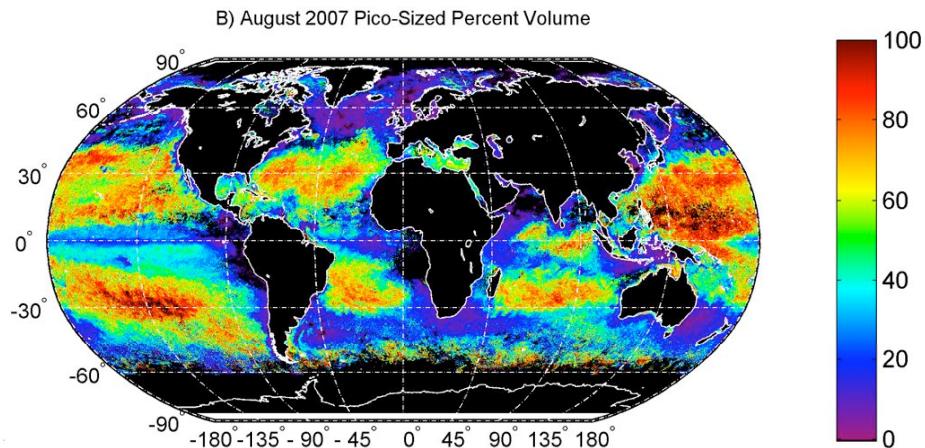
Kostadinov et al. [2009 - JGR]

Micro-particles (20  $\mu\text{m}$  to 50  $\mu\text{m}$ )

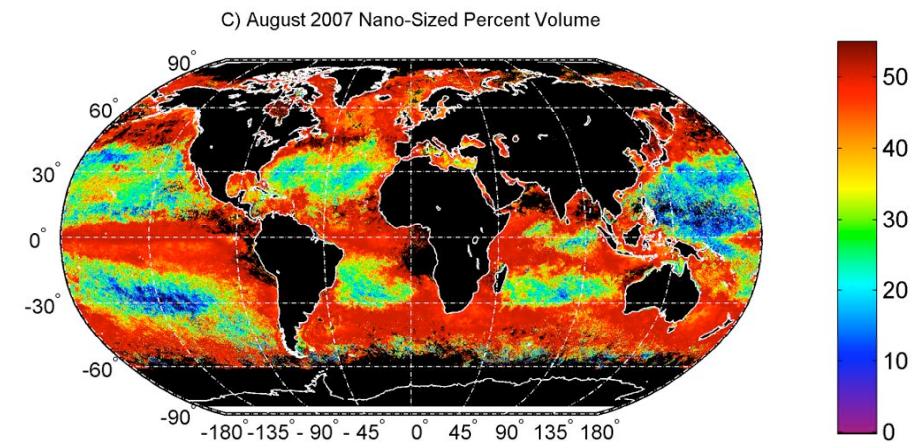


# Partitioning Particle Volumes

% Pico's (0.5  $\mu\text{m}$  to 2  $\mu\text{m}$ )



% Nano's (2  $\mu\text{m}$  to 20  $\mu\text{m}$ )

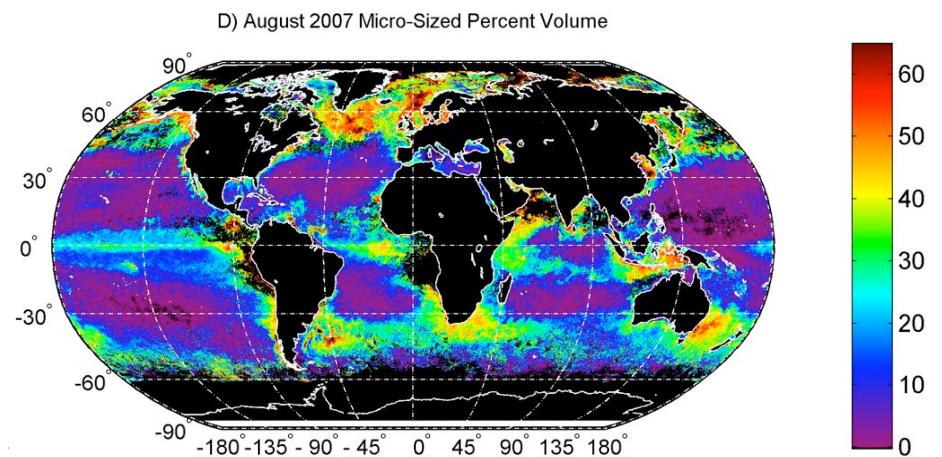


Pico's dominate oligotrophic ocean (>80%)

Nano's in transition regions (45%)  
Micro's only found in upwelling zones & high latitudes (<40%)

Kostadinov et al. [2009 - JGR Oceans]

% Micro's (20  $\mu\text{m}$  to 50  $\mu\text{m}$ )



# PSD Futures & Results

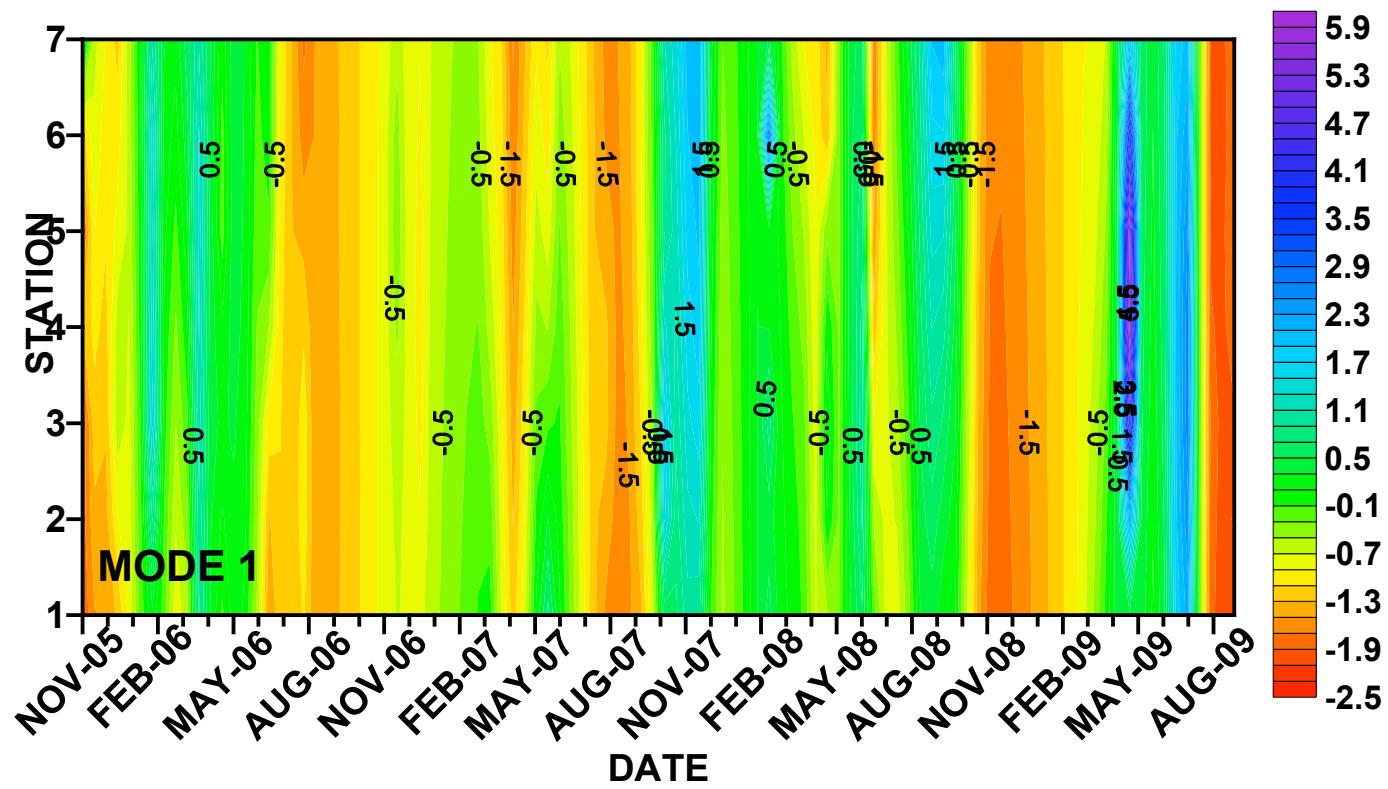
- PSD results makes sense ecologically...
- Validation is OK - but data are scarce
- PSD as global PFT's paper nearly submitted
- Work with in situ observations from PnB
  - Compare LISST N(D) & Hydroscat  $b_b(\lambda)$  obs
  - Develop new statistical models of  $Q_{bb}(\dots)??$

$$b_{bp}(\lambda) = \int_{D_{\min}}^{D_{\max}} \frac{\pi D^2}{4} Q_{bb}(D, \lambda, m_r) N(D) dD$$

A photograph of a sunset over a calm ocean. The sky is filled with large, billowing clouds that are illuminated from behind by the setting sun, creating a vibrant orange and yellow glow. The horizon line is visible, and the water in the foreground reflects the warm colors of the sunset. A large, bold, yellow text "Thank You!!" is overlaid on the upper portion of the image.

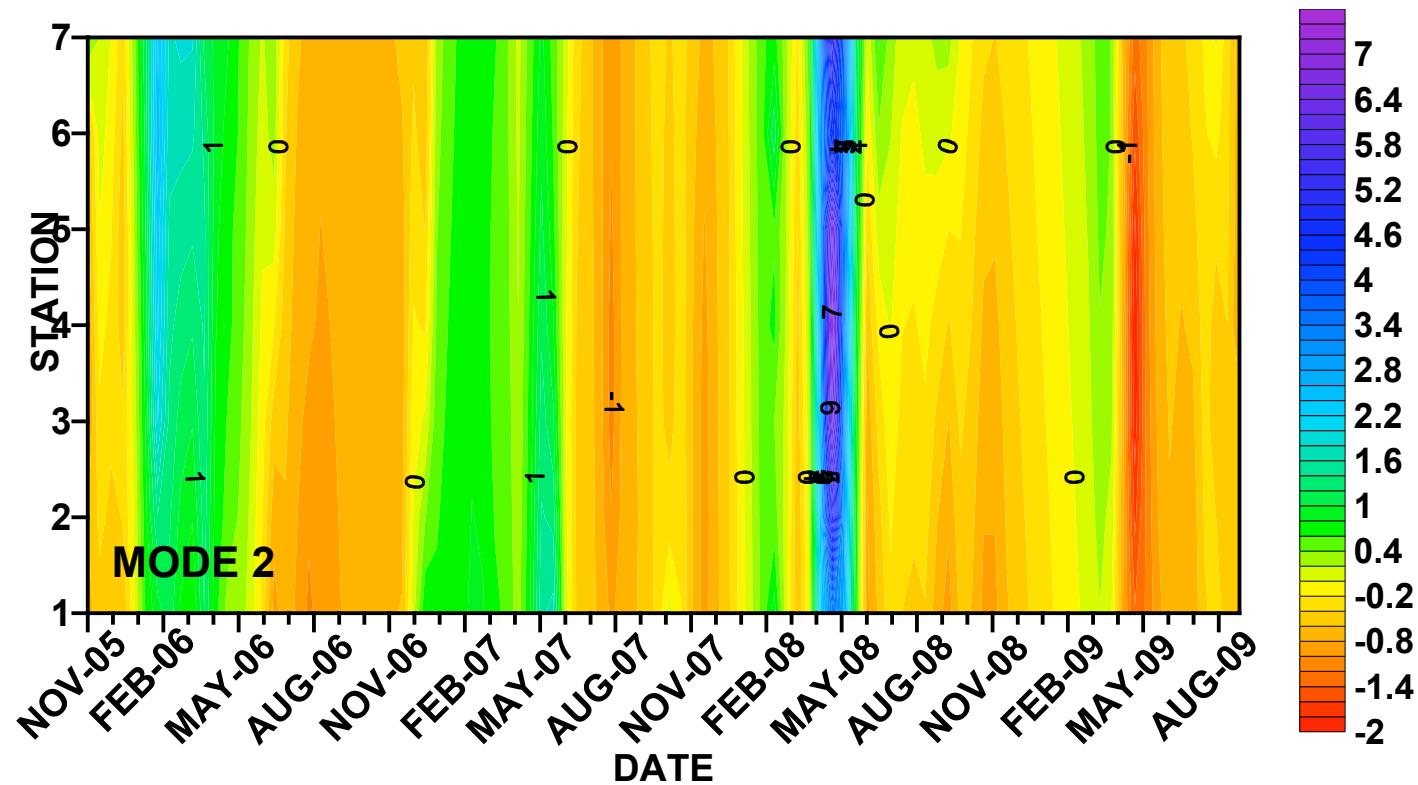
Thank You!!

## Amplitude Functions for EOF modes in space and time



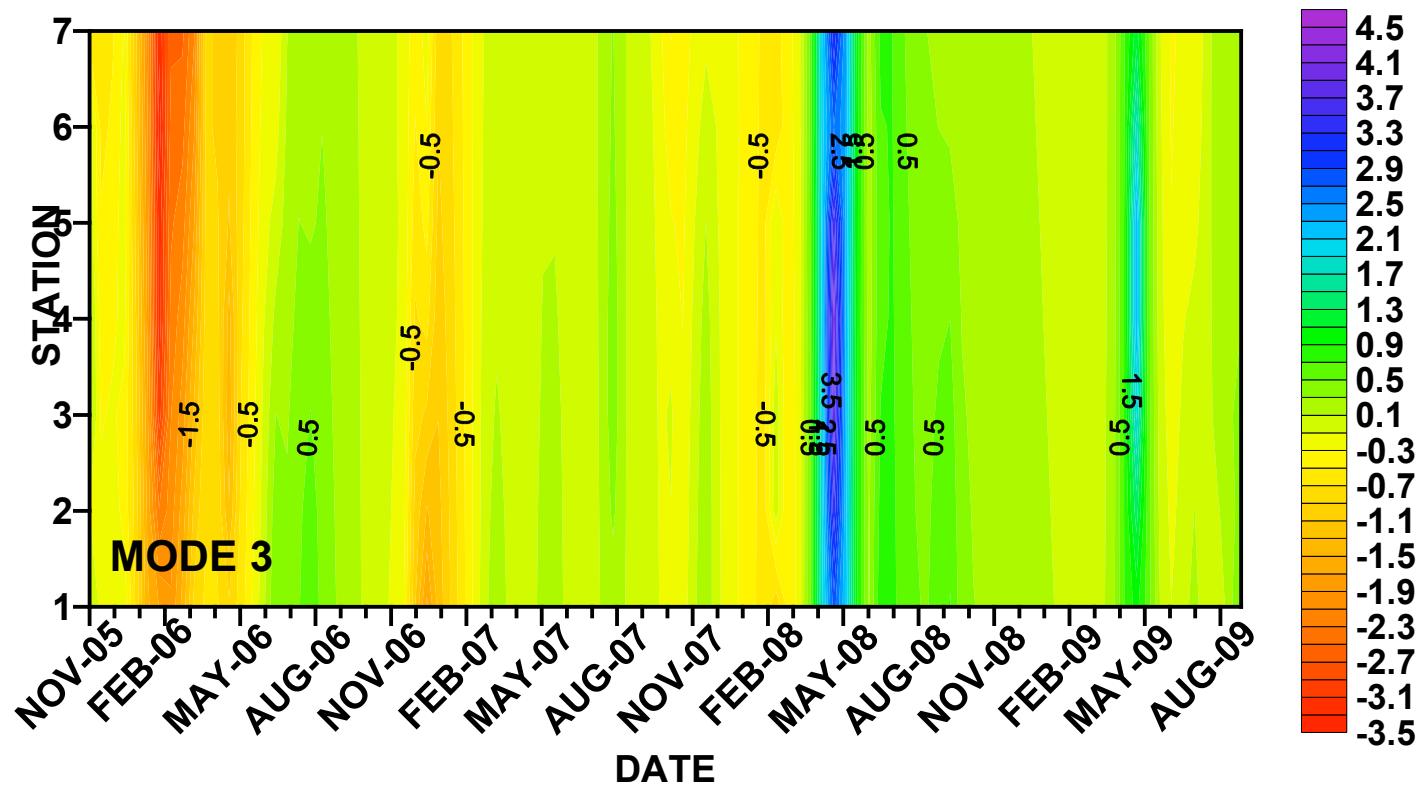
Mixed nanoplankton and picoplankton – microplankton have very low correlation with this mode

## Amplitude Functions for EOF modes in space and time



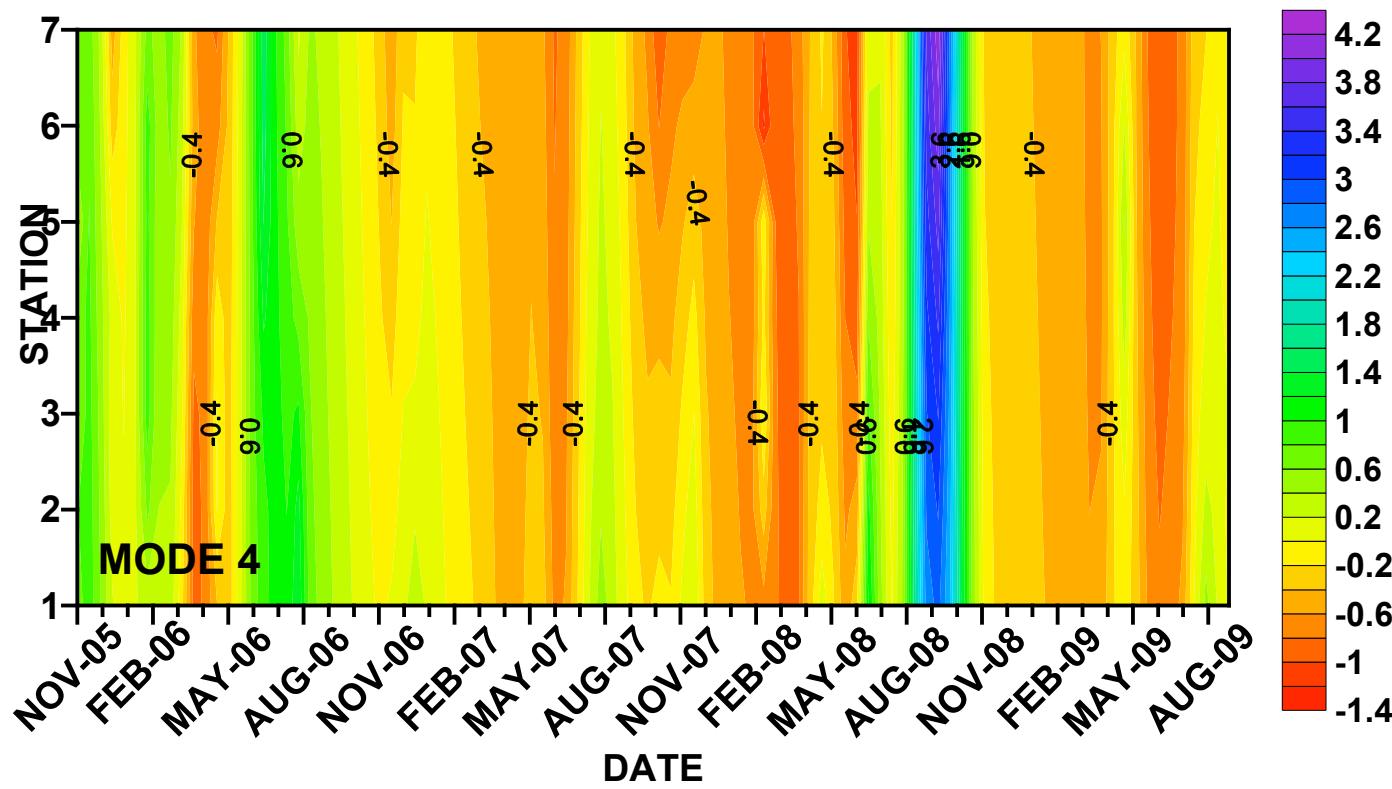
Mixed microplankton – Diatoms dominate this mode while dinoflagellates and cryptophytes are also present

## Amplitude Functions for EOF modes in space and time



Alternating microplankton dominance – Negative values indicate dinoflagellate dominance and positive values indicate diatom dominance

## Amplitude Functions for EOF modes in space and time



Picoplankton dominance – cyanobacteria DP and photoprotective DP have the strongest correlations (positive) with this mode.

# Linking Particles & Backscattering

$$b_{bp}(\lambda) = \int_{D_{\min}}^{D_{\max}} \frac{\pi D^2}{4} Q_{bb}(D, \lambda, m_r) N(D) dD$$

Cross-Section Area

Backscattering Efficiency

Particle Size Distribution

- Common assumptions are known to be poor

$Q_{bb}(\dots)$  from Mie theory for homogeneous sphere

$N(D)$  following power-law formulation  $(N_o (D/D_o)^{-\xi})$